Computing optimal sampling points for polynomial and kernel-based approximations

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In this talk we explore strategies for computing optimal sampling points for approximation of functions. The goal is to find nodes that minimize the Lebesgue constant on a given domain. This can be done by using a greedy algorithm that adds one point per iteration or by direct optimization of the node density function. Polynomial and RBF expansions are considered.